

The Detection and Properties of Quasi-Periodic Pulsations in Solar Flares From a Single Active Region

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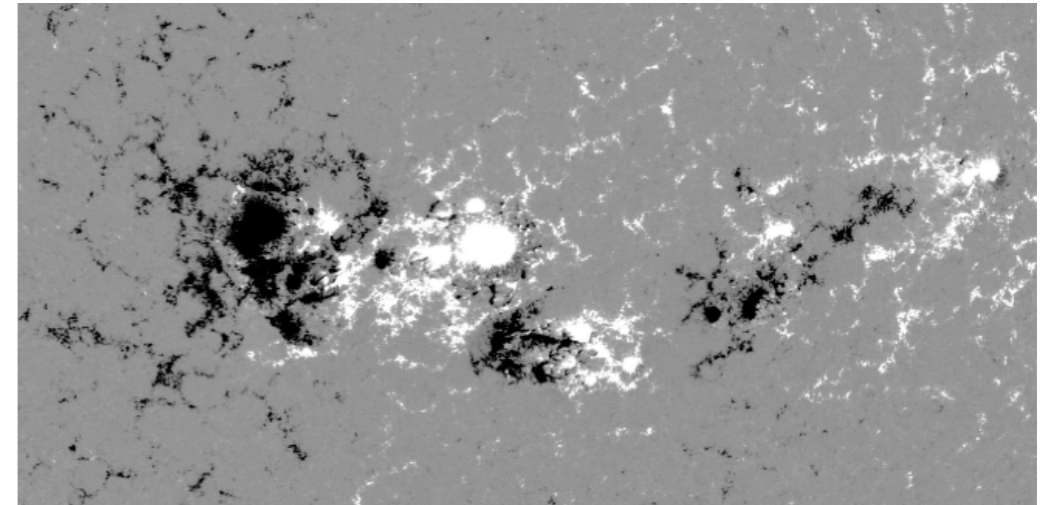
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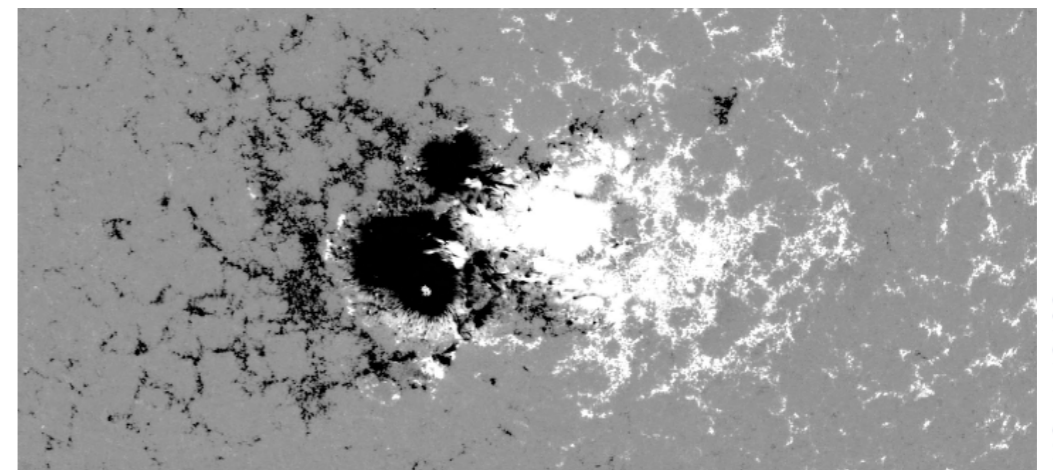
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Solar flare QPP study

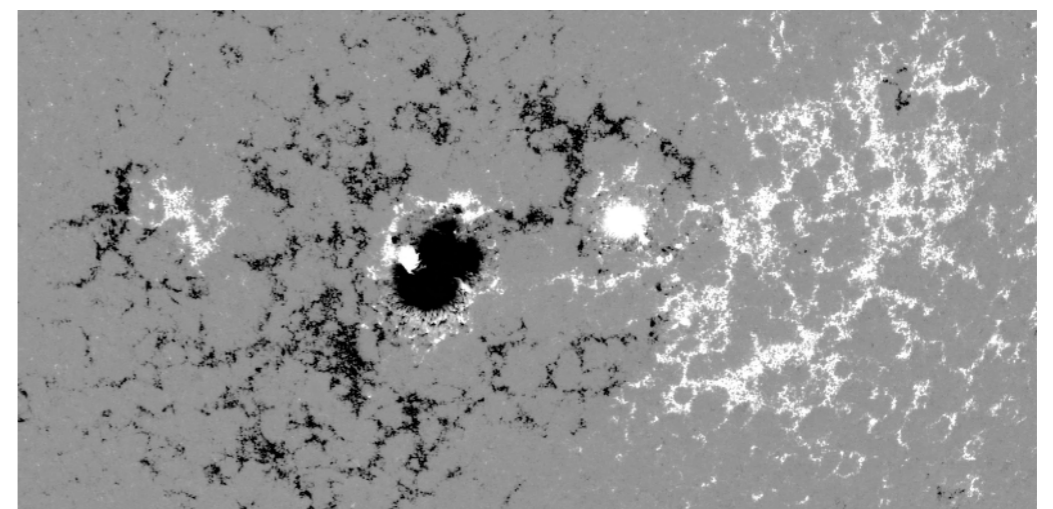
- ▶ 181 GOES class flares from a single (very) active region
- ▶ 137 C-class, 38 M-class, 6 X-class
- ▶ How many have QPPs?
- ▶ Do QPP properties relate to the evolution of the active region properties?
- ▶ Do the QPP properties depend on the type of flare?



NOAA 12172, 12173, 12171



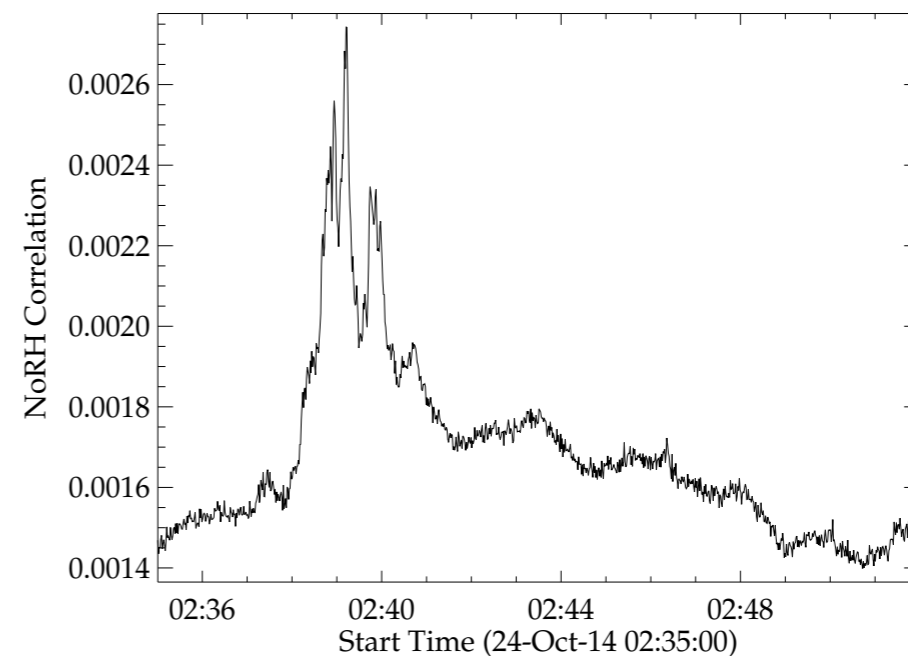
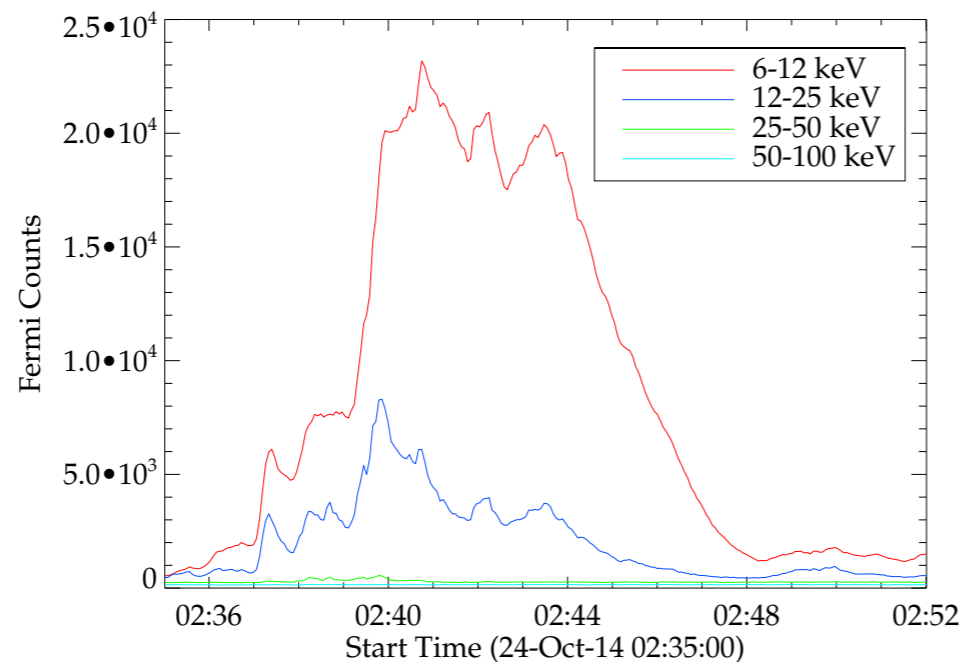
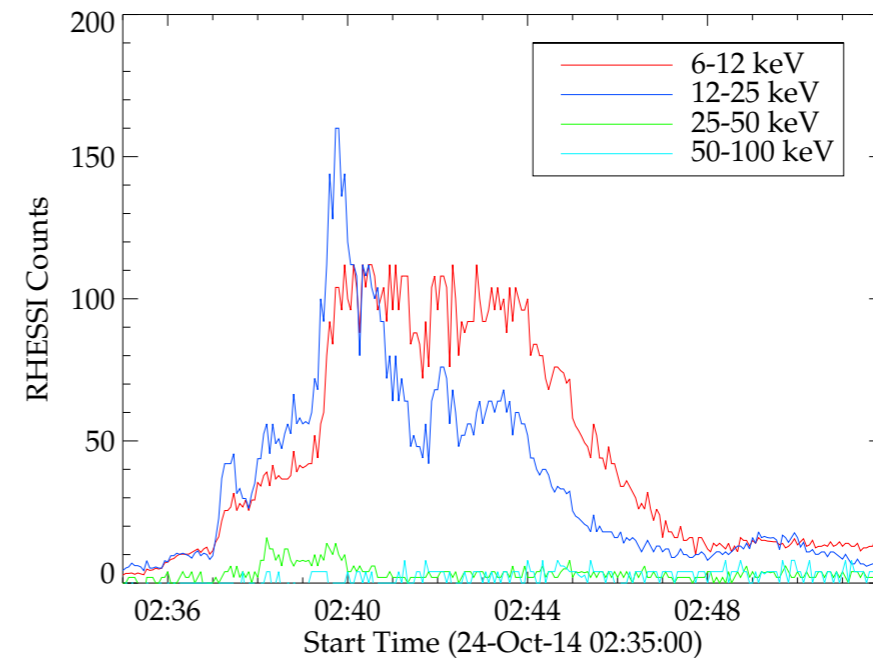
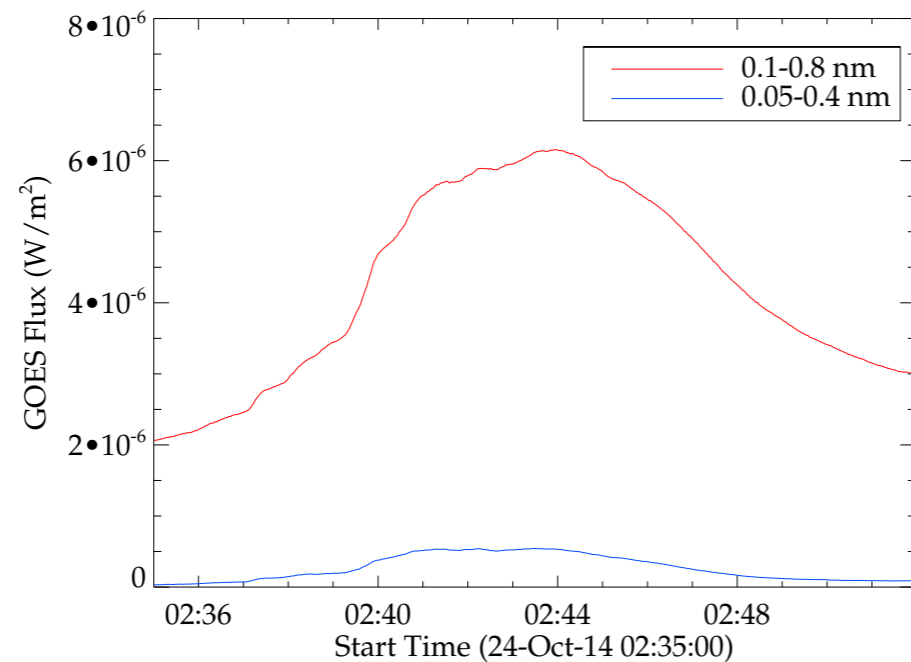
NOAA 12192



NOAA 12209

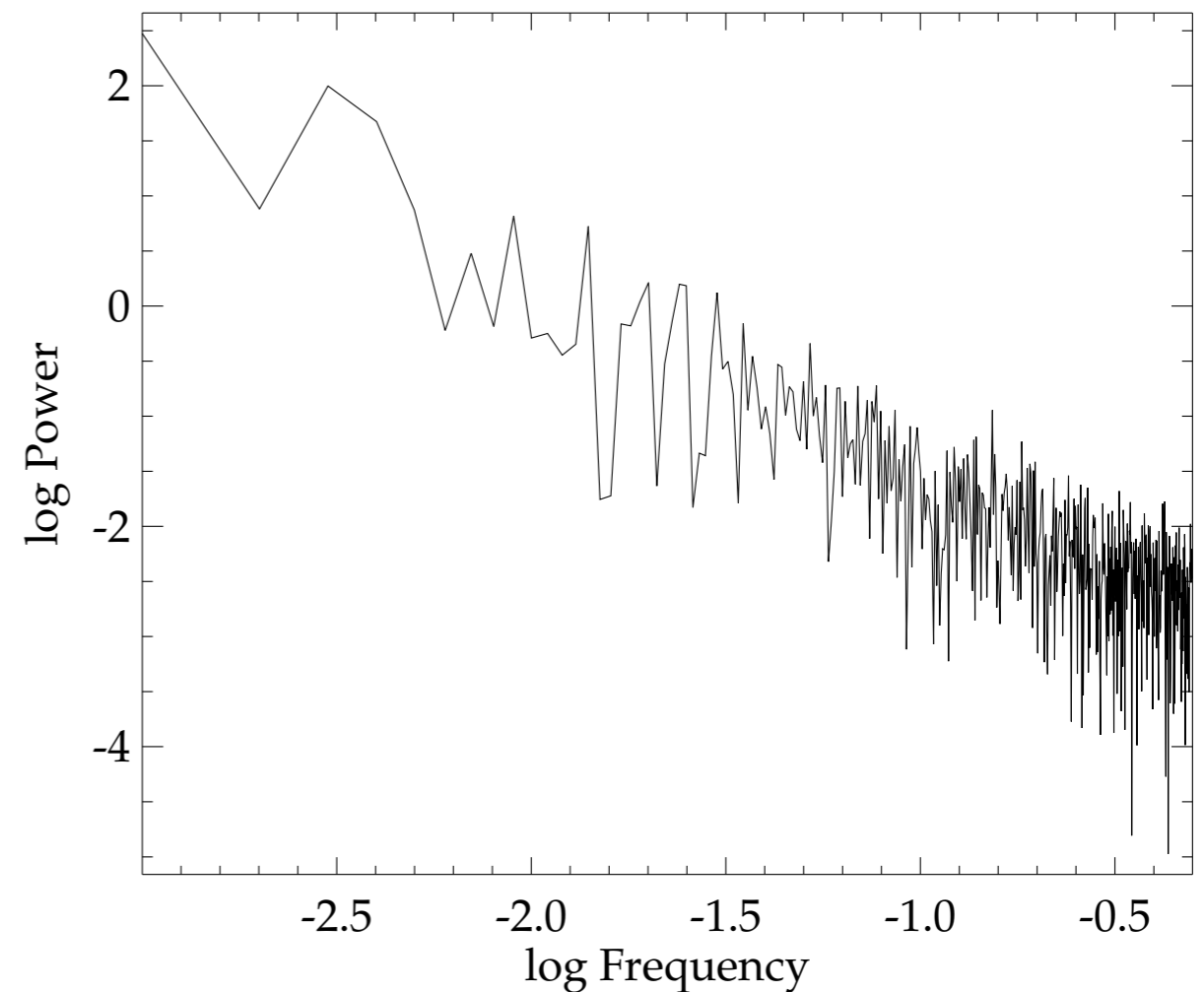
Solar flare QPP study

- ▶ Data from GOES, SDO/EVE, RHESSI, Fermi, Vernov (Myagkova et al. 2016), Nobeyama Radioheliograph (NoRH)



How to detect the QPPs?

- ▶ How to quantify a detection?
 - spectral analysis → periodogram or wavelet power spectrum → confidence levels
- ▶ Flare time series have power law power spectra (due to trends and correlated noise)
- ▶ Some detrending methods can lead to false detections in the power spectrum (e.g. Gruber et al. 2011, Auchère et al. 2016)

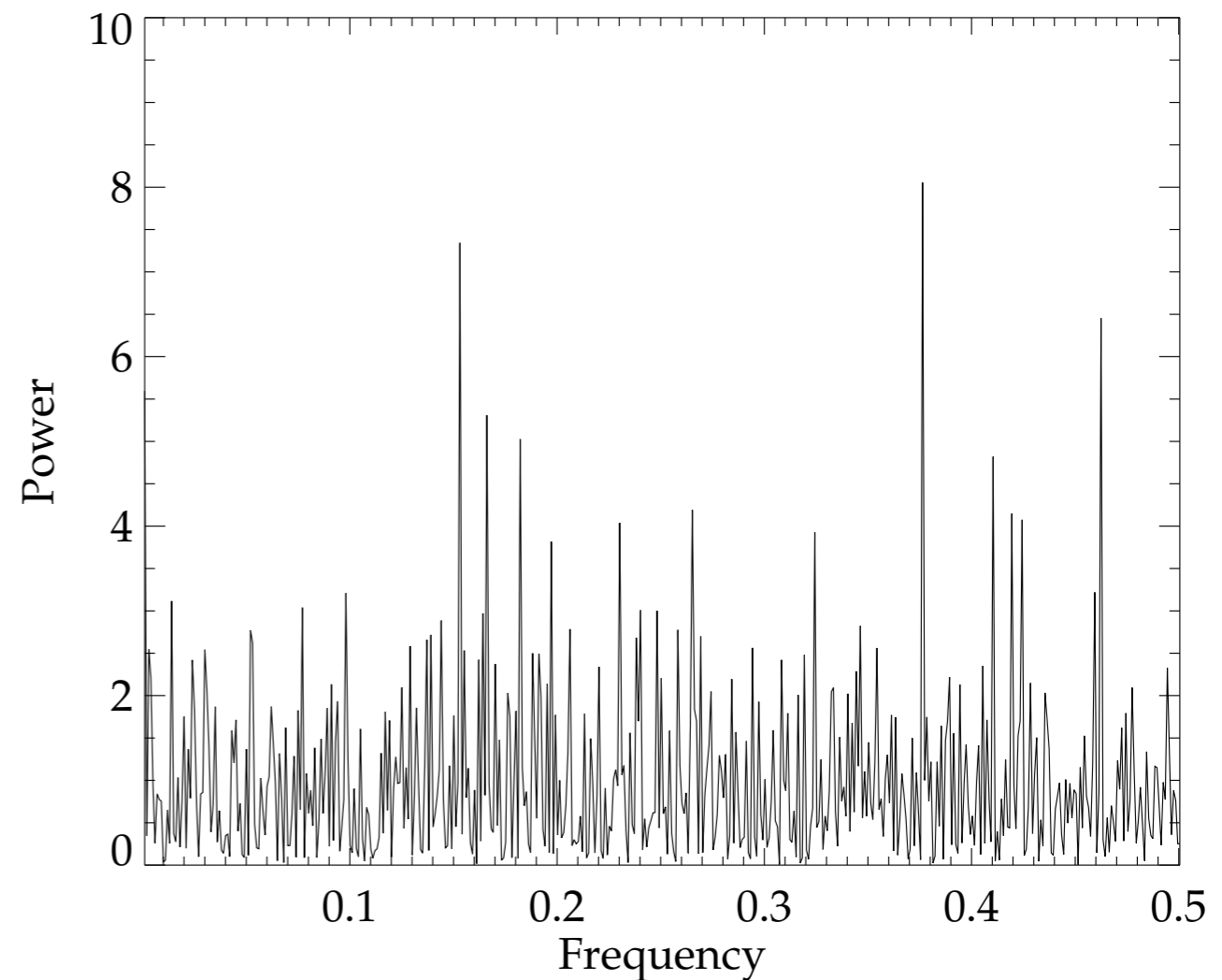


Confidence levels: white noise case

- ▶ For χ^2 distribution with 2 degrees of freedom (d.o.f), probability is:

$$\Pr\{\chi^2 > \gamma\} = \frac{1}{2} \int_{\gamma}^{\infty} e^{-x/2} dx = e^{-\frac{\gamma}{2}}$$

- ▶ (See Horne and Baliunas 1986 for more detail)
- ▶ *Right*: periodogram of white noise, which follows a χ^2 , 2 d.o.f distribution



Confidence levels: power law case

- ▶ We can fit a (broken) power law model to the spectrum:

$$\log(\hat{P}(f)) = \begin{cases} \log(A) - \alpha \log(f) & f < f_{break} \\ \log(A) - \beta \log(f) - (\alpha - \beta) \log(f_{break}) & f > f_{break} \end{cases}$$

- ▶ Data have associated uncertainties → periodogram powers will have uncertainties → fitted power law model will have uncertainties
- ▶ Can estimate uncertainties on power law model by performing monte carlo simulations with original time series data uncertainties
- ▶ Additional source of uncertainty from model will affect probability distribution

Confidence levels: power law case

- ▶ A confidence level can be found by solving this equation (see Vaughan 2005 or Pugh et al. 2017a for more detail):

Probability of a value x_j being greater than some threshold γ_j

Log-normal distribution of model uncertainties

w and z are dummy variables representing power

$$\Pr\{x_j > \gamma_j\} = \int_{\gamma_j}^{\infty} \int_0^{\infty} \frac{1}{\sqrt{8\pi S_j}} \exp\left\{\frac{-(\ln w)^2}{2S_j^2} - \frac{wz}{2}\right\} dw dz$$

Uncertainty on the model

Exponential χ^2 2 d.o.f distribution

- ▶ which reduces to:

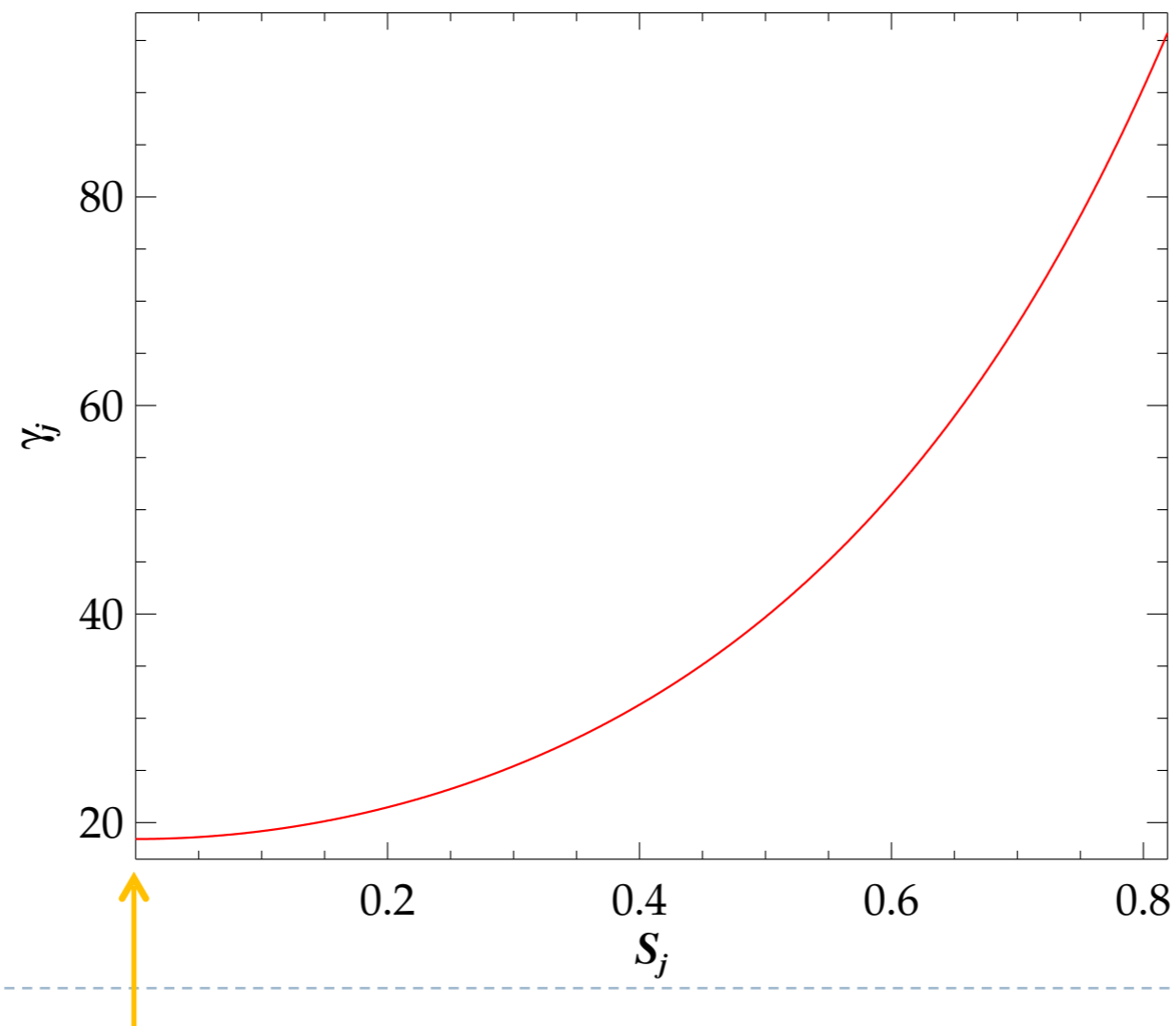
$$\Pr\{x_j > \gamma_j\} = \int_0^{\infty} \frac{1}{\sqrt{2\pi S_j w}} \exp\left\{\frac{-(\ln w)^2}{2S_j^2} - \frac{\gamma_j w}{2}\right\} dw$$

Confidence levels: power law case

Set false alarm probability to 1% for 99% confidence level

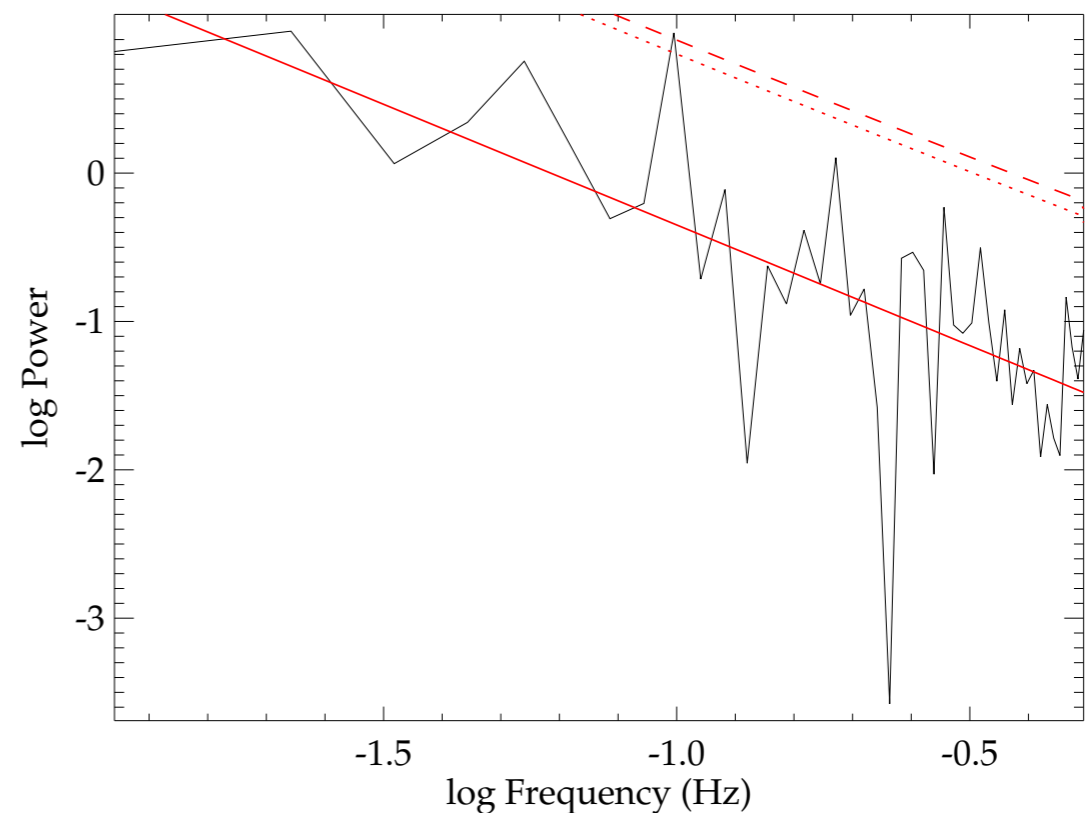
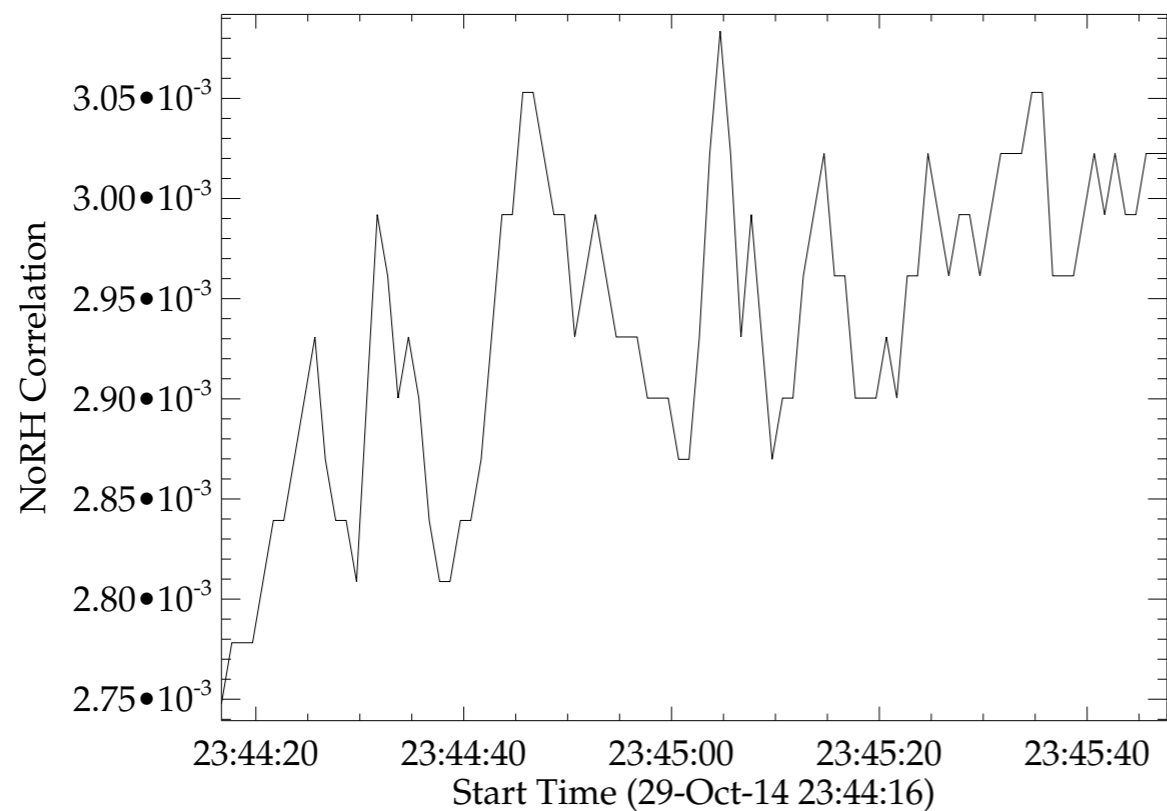
$$\Pr\{x_j > \gamma_j\} = \frac{0.01}{N} = \int_0^\infty \frac{1}{\sqrt{2\pi S_j w}} \exp\left\{-\frac{(\ln w)^2}{2S_j^2} - \frac{\gamma_j w}{2}\right\} dw$$

Number of values in the power spectrum (set to 100 here)



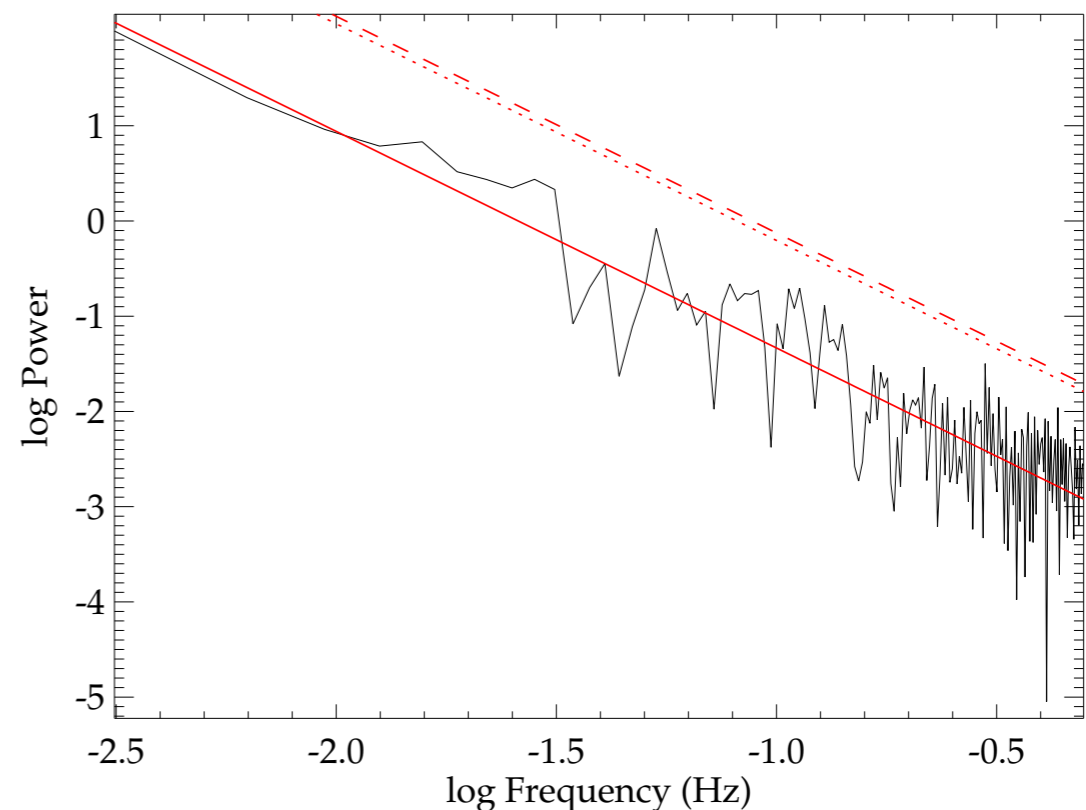
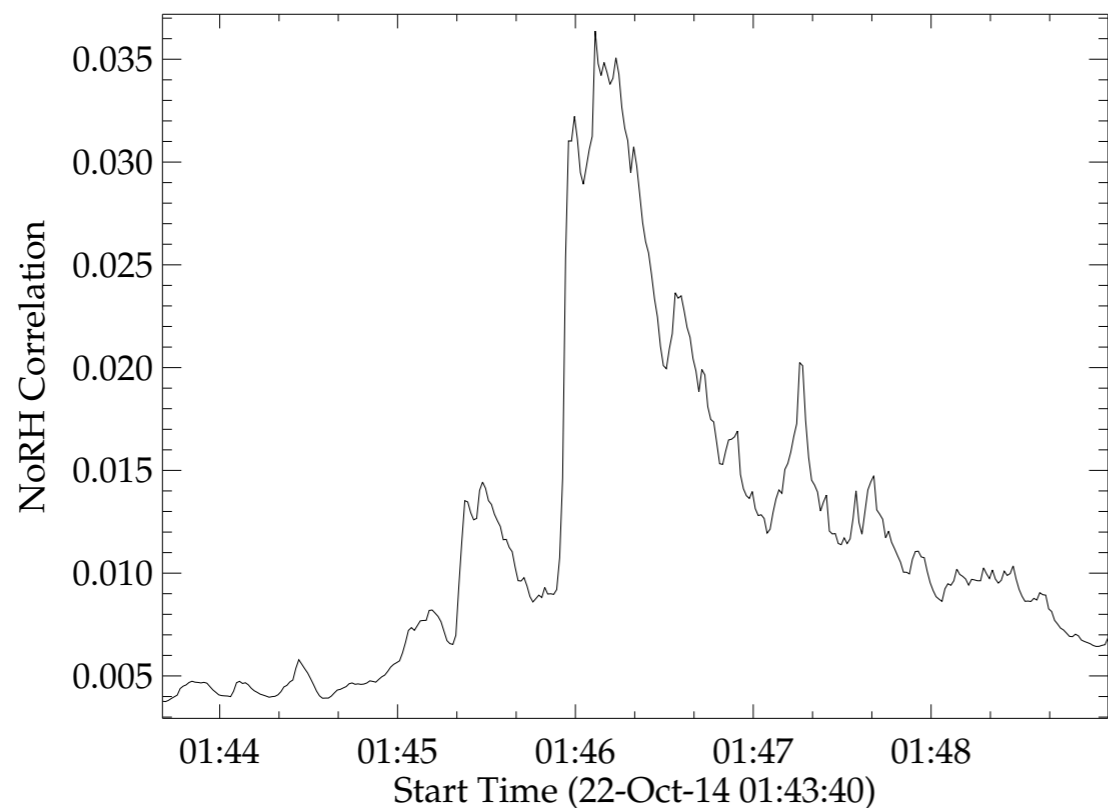
Examples

- ▶ Solar flare observed by Nobeyama Radioheliograph
- ▶ *Left:* Correlation time series of part of a flare
- ▶ *Right:* Periodogram with a peak above 99% confidence level, at a period of ~10 seconds



Examples

- ▶ Solar flare observed by Nobeyama Radioheliograph
- ▶ *Left*: Correlation time series of part of a different flare
- ▶ *Right*: Periodogram with no significant peak



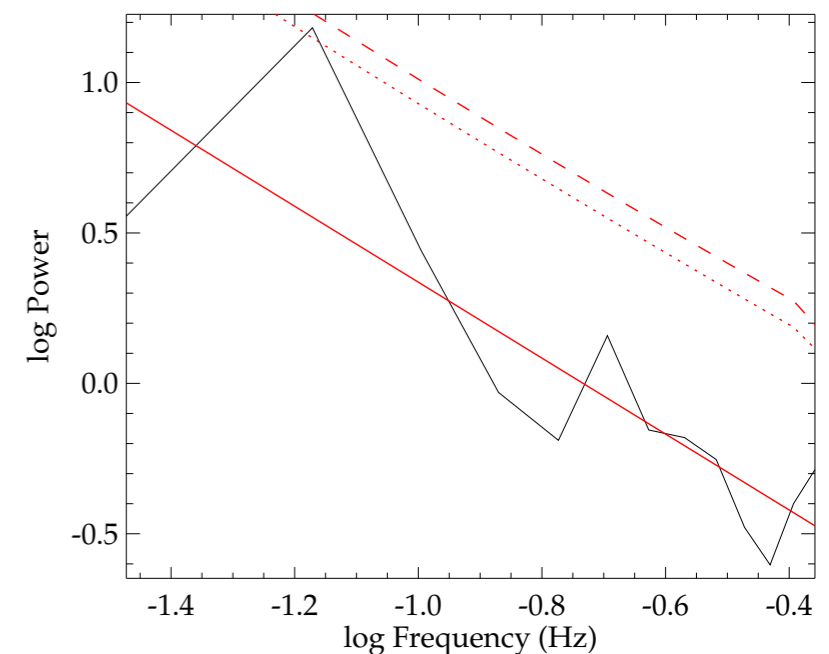
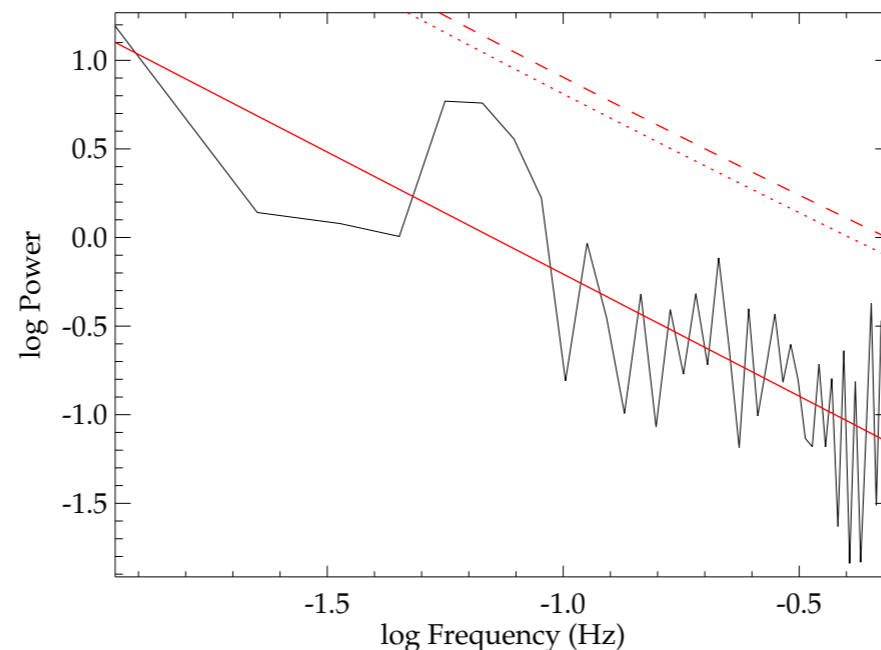
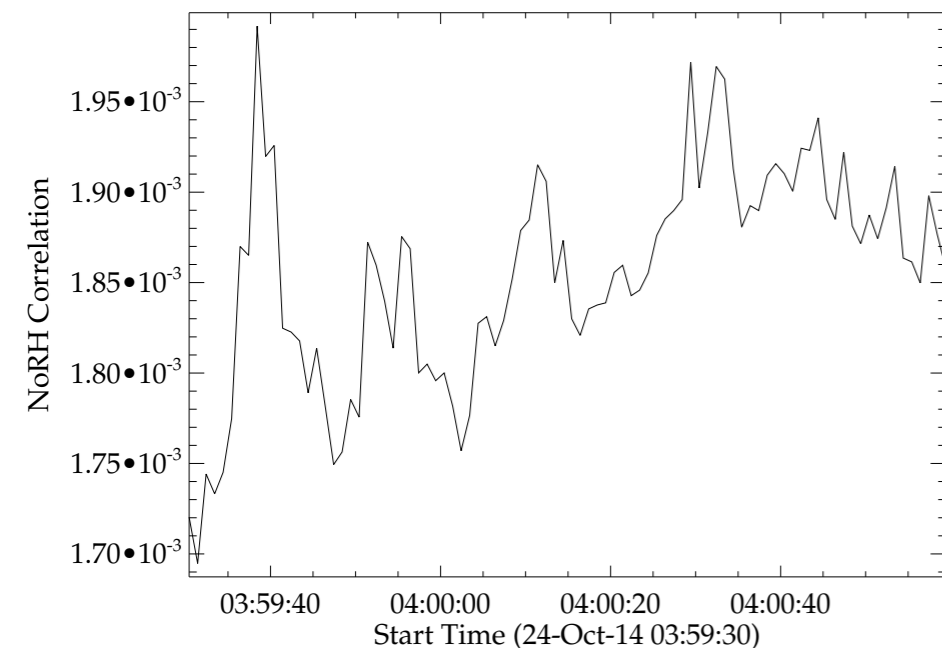
Confidence levels: power law case

- ▶ Additional trick: rebinning the power spectra
- ▶ Helpful for broad peaks in the power spectrum
- ▶ Sum over every n frequency bins, so instead of χ^2 2 d.o.f statistics we have χ^2 $2n$ d.o.f
- ▶ The new probability integral can be derived (Pugh et al. 2017a):

$$\Pr\{x_j > \gamma_j\} = \int_{\gamma_j}^{\infty} \int_0^{\infty} \frac{(wz/2)^{n-1}}{\sqrt{8\pi S_j} \Gamma(n)} \exp\left\{\frac{-(\ln w)^2}{2S_j^2} - \frac{wz}{2}\right\} dw dz$$

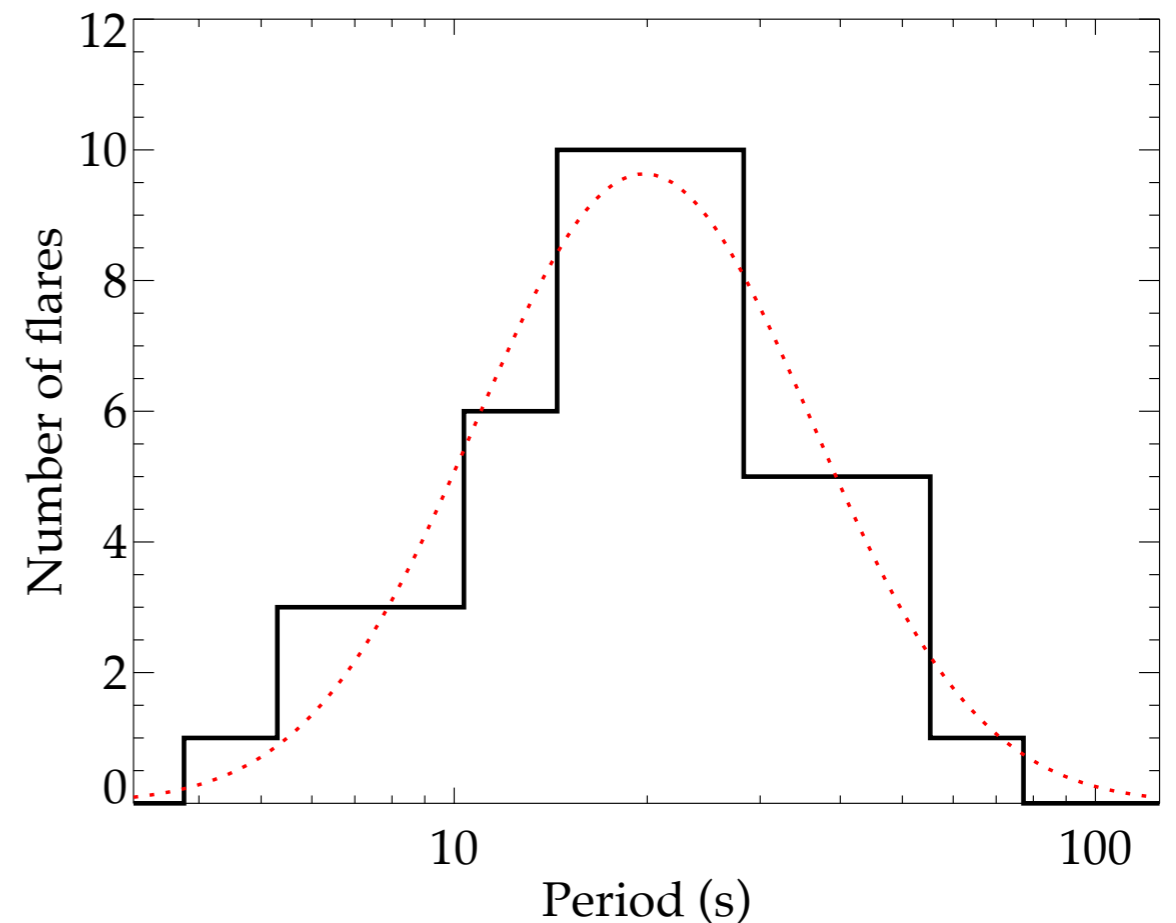
Examples

- ▶ Solar flare observed by Nobeyama Radioheliograph
- ▶ *Left*: Correlation time series of part of the flare
- ▶ *Middle*: Periodogram with a broad peak below the 95% confidence level
- ▶ *Right*: Rebinned periodogram (with $n=3$), where the peak is now above the 95% confidence level, at a period of ~ 15 seconds



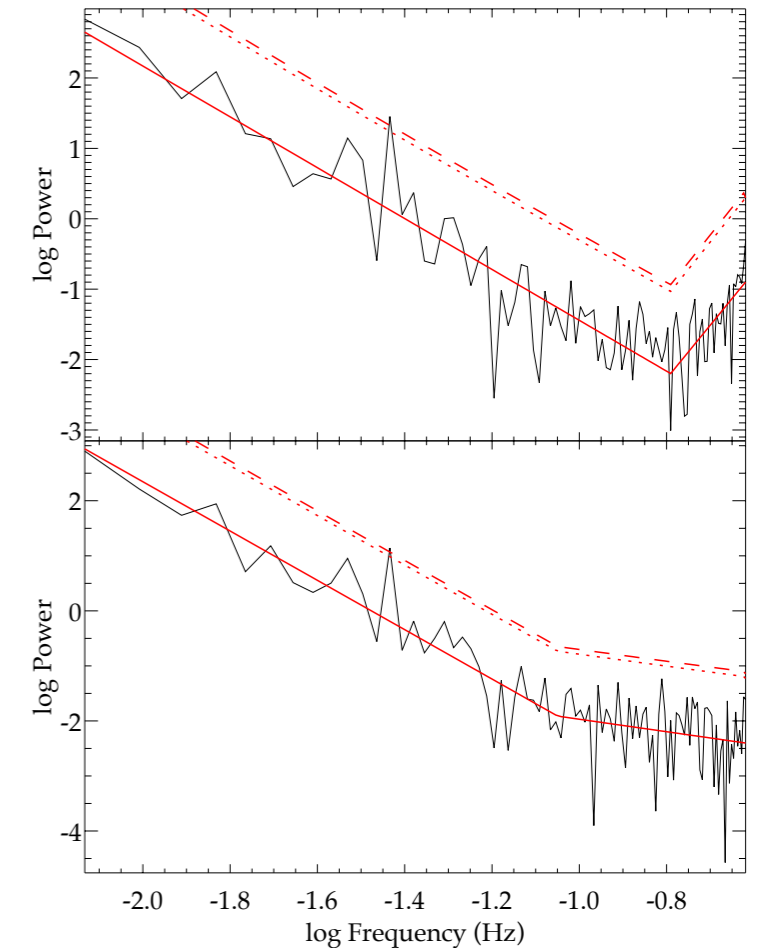
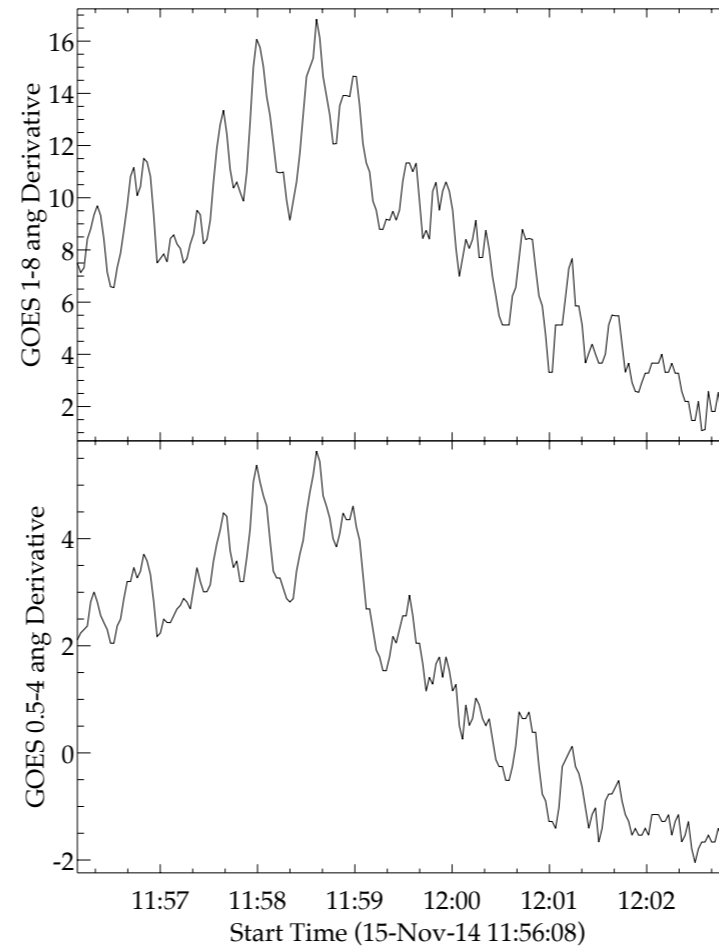
The set of flares with significant QPPs

- ▶ Out of 181 flares: 37 with periodic signal above 95% *global* confidence level (20% of sample)
- ▶ *Right*: histogram of periods, with mean period of 20^{+16}_{-9} seconds
- ▶ Most results consistent with [Inglis et al. 2016](#), who used a different method
- ▶ [Pugh et al. 2017b](#)

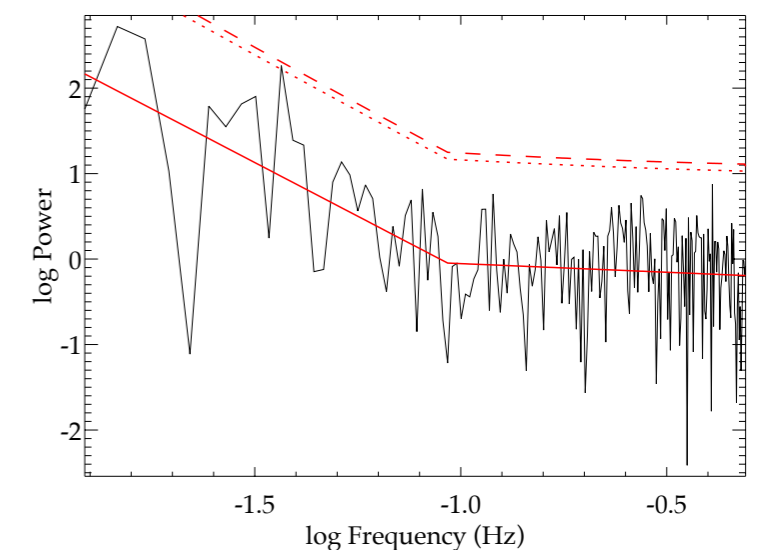
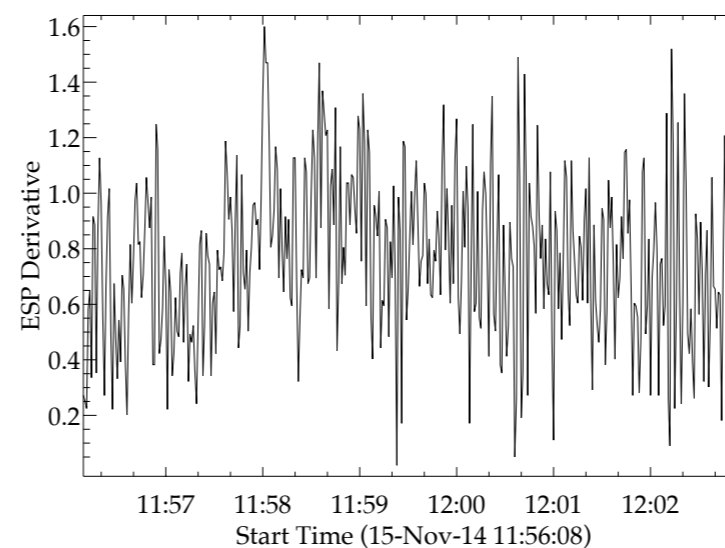


The set of flares with significant QPPs

- ▶ Seven of these flares have the same QPP signal detected above the 95% confidence level in data from two different instruments

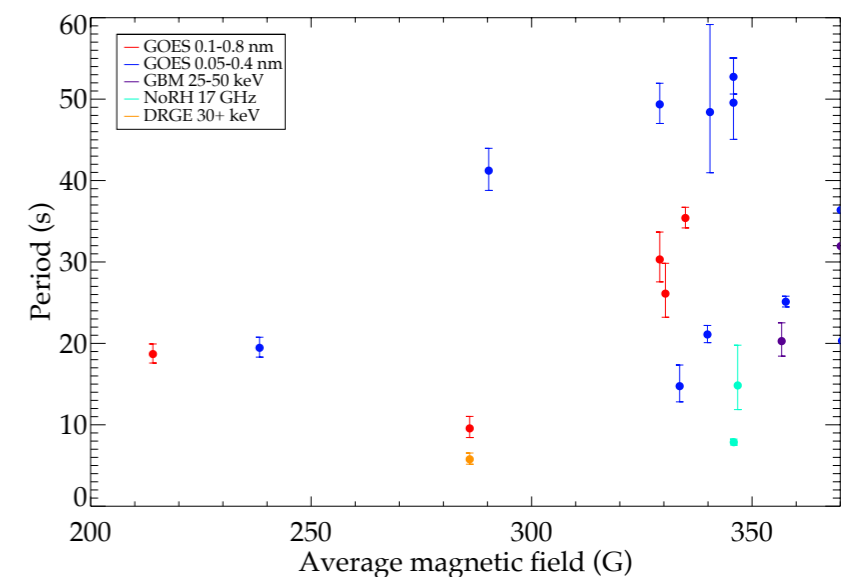
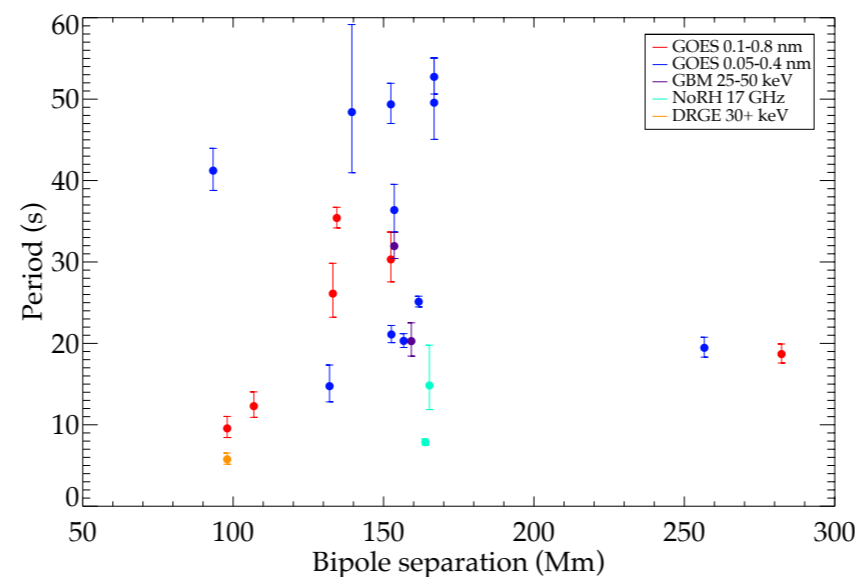
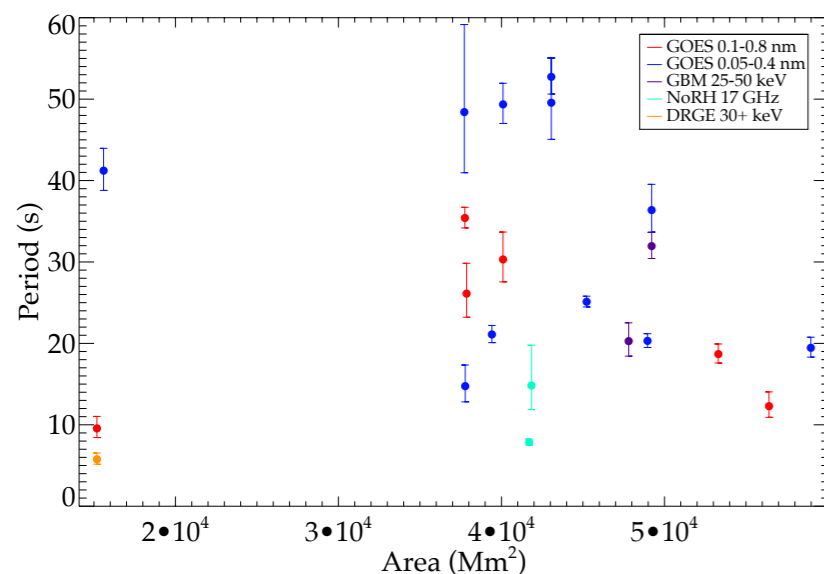


- ▶ *Right: 27 s period* detected in both GOES/XRS and EVE/ESP light curves



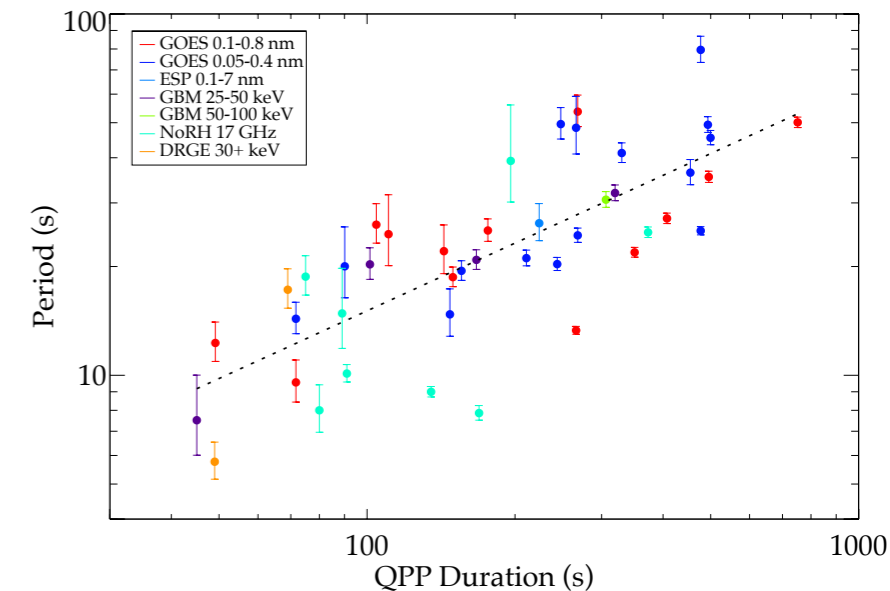
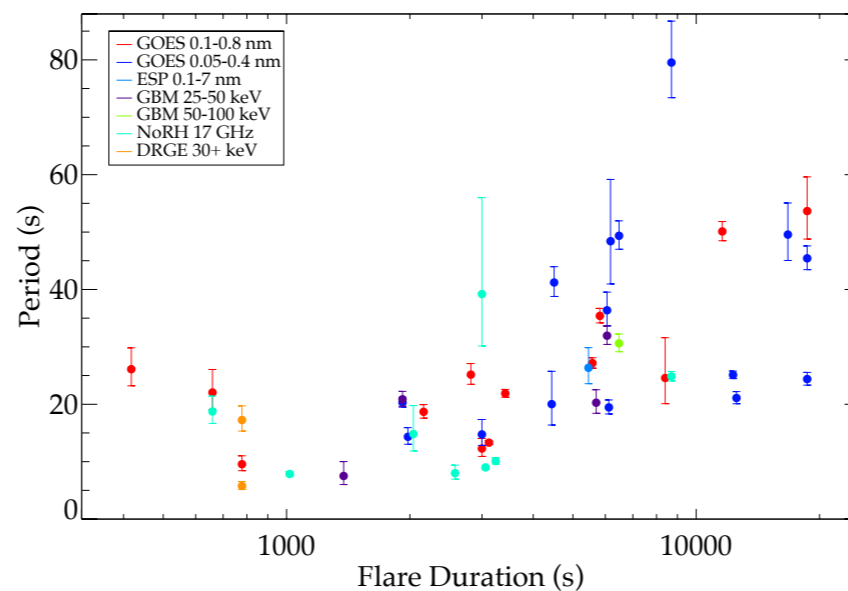
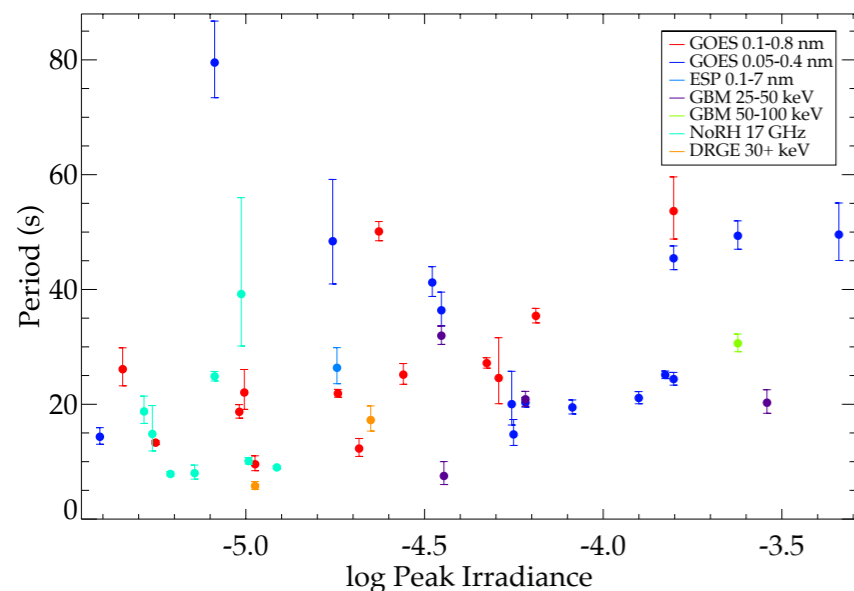
Relation to active region (AR) properties?

- ▶ AR properties as a function of time determined from SDO/HMI line-of-sight magnetograms (following similar method to [Higgins et al. 2011](#), accounting for line-of-sight effects)
- ▶ No correlation between the QPP period and AR area (*left*), bipole separation distance (*middle*), or field strength (*right*)
- ▶ Probably because only part of the AR produces the flares!
- ▶ Next step: estimate size of flare sites from Hinode/XRT, RHESSI, etc data



Relation to flare properties?

- ▶ QPP periods plotted against flare amplitude, flare duration, and the duration of the QPP signal
- ▶ Period vs flare duration correlation: observational bias?
- ▶ Period vs QPP signal duration: can't detect long-period short-duration QPP signals, but should be able to detect short-period long-duration signals



Summary

- ▶ Adapted the method described by [Vaughan 2005](#) to test for the presence of QPPs in flares, which accounts for data uncertainties and power-law power spectra, and avoids detrending
- ▶ Applied the method to a sample of solar flares from a single active region
- ▶ 20% of flares have a periodic signal above the 95% *global* confidence level in the power spectra
- ▶ No correlation of QPP periods with AR properties measured at the photosphere
- ▶ Need to try measuring sizes of flaring sites using spatially resolved X-ray/radio observations